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### Business cycle synchronization of the Visegrad Four and the European Union

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## Business cycle synchronization of the Visegrad Four and the European Union

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#### Abstract:

In this paper, we map the process of synchronization of the Visegrad Four within the framework of the European Union using wavelet techniques. We show that the relationship of among countries is dynamic and that it varies over time and across frequencies. We study the synchronization applying the wavelet cohesion measure with time-varying weights. This novel approach allows us to study the dynamic relationship among countries from a different perspective than the usual time-domain models. Analyzing monthly data from 1990 to 2014, the results for the Visegrad region show an increasing co-movement with the European Union after the countries began preparing for accession to the European Union. Participation in a currency union possibly increases the co-movement. Furthermore, we find a high degree of synchronization in long-term horizons by analyzing the Visegrad Four and Southern European countries' synchronization with the core countries of the European Union.

**Keywords:** business cycle synchronization, time-frequency, wavelets, co-movement, Visegrad Four, European Union

**JEL**: E32, C40, F15

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#### 1. Introduction

One of the most challenging tasks in economics is to identify, understand, and disentangle the factors and mechanisms that impact the dynamics of macroeconomic variables. Many quantitative econometric techniques have been developed to study regularities in fluctuations of macroeconomic indicators and business cycles, e.g., Baxter and King (1999); Hodrick and Prescott (1981); Harding and Pagan (2002). This article investigates business cycle synchronization over different time horizons. In order to disentangle the desired information, we apply wavelet methodology working in a time-frequency space. The analysis considers the case of the Visegrad Four, both in terms of the interior relationships among its constituent countries and in terms of the relationships established within the framework of the European Union (EU).

It has been more than two decades since the break-up of the Eastern Bloc; following its disintegration, these countries began their independent economic and political journeys. While undertaking their economic transformations during this time, the Central European countries: the Czech Republic, Hungary, Poland, and Slovakia began discussing mutual cooperation. Despite their originally different levels of economic maturity and development, their willingness and regional proximity led them to establish the Visegrad Four in 1991. One of the chief aims of this group was to help its members to organize their institutions for faster convergence with and integration into the European Union (Lukášek, 2010). In 2004, these four countries became members of the EU, which obliges them to adopt the Euro currency as part of the integration process. One of the concerns of successful integration into the European Economic and Monetary Union (EMU) is business cycle synchronization, which is motivated by the theory of Optimum Currency Area (OCA) (Mundell, 1961). A country joining the OCA gives up its individual monetary policy, which requires a level of integration of macroeconomic variables and policies and affects the costs and benefits enjoyed by the nations (De Haan et al., 2008). The common currency can be beneficial for both new and former countries in terms of trade transaction costs. Otherwise, at the European level, the European Central Bank controls those policies that apply to all member states, which may be counter-cyclical for countries with low business cycle synchronization (Kolasa, 2013). On one hand, these policies may create difficulties for those countries. On the other hand, countries with low levels of synchronization may benefit from being members of the OCA because the OCA criteria appear endogenous. This endogeneity of OCA means that forming a monetary union will make its members more synchronized (Frankel and Rose,  $1998).^{2}$ 

The literature regarding EU integration – and particularly that focusing on the economic integration of the CEE countries – has grown rapidly. Fidrmuc and Korhonen (2006) conduct a meta-analysis of 35 studies involving the synchronization of the EU and CEE

<sup>&</sup>lt;sup>1</sup>The Visegrad countries also joined the North Atlantic Treaty Organization in 1999 and applied for membership in the European Union in 1995-1996.

<sup>&</sup>lt;sup>2</sup>The literature focusing on the evolution and determinants of business cycle synchronization between Central and Eastern European (CEE) countries and the EU is extensive, e.g., Darvas and Szapáry (2008); Artis et al. (2004); Backus et al. (1992).

countries and find a high level of synchronization between new member states and the EU. However, only Hungary and Poland among the Visegrad countries reached high synchronization. Artis et al. (2004) and Darvas and Szapáry (2008) obtained the same results studying correlations between the business cycles of the EU and Hungary and Poland. In another model, Jagrič (2002) also implies that the economic co-movement of Hungary and Poland is high. Analogously, Bruzda (2011) shows that Poland's economic synchronization with the EU rises when intra-EU synchronization is stable. Recently, Aguiar-Conraria and Soares (2011a) examine the industrial production index of Euro-12 countries<sup>3</sup> and analyze business cycle synchronizations within the EU framework, while taking into account the distances among regions. These authors show that countries that are closer to one another show higher synchronization. Moreover, the transition countries show high similarity with the EU after 2005. Nevertheless, Slovakia, a member of the Euro area, does not show any significant pattern of coherence with the EU. With respect to Hungary and the Czech Republic, their business cycles co-move with the EU-12 after 2005. Jiménez-Rodríguez et al. (2013) also find high correlations of CEE countries (except for the Czech Republic) with the EU business cycle. However, contrary to this result, they find that these countries exhibit a lower level of concordance when a factor model is employed.<sup>4</sup>

To assess the degree of similarity or synchronization, researchers have searched for appropriate tools to capture the relevant information. One of the most popular tools is the Pearson correlation coefficient, which simply measures the degree of co-movement in a time domain. However, market-based economies are dynamic systems structured over different time horizons. For this reason, researchers began surveying the behavior of such systems at different frequencies corresponding to different time horizons, and the interest in frequency domain measures has thus grown. Christiano and Fitzgerald (2003) proposed a model based on a band pass filter that allowed that desired frequencies of time series to be filtered.<sup>5</sup> Further, Croux et al. (2001) presented a measure of co-movement, the dynamic correlation, based on a spectral analysis, that equals to basic correlation on a band pass filtered time series. Nevertheless, both the time (static) Pearson correlation and the spectral domain dynamic correlation have several caveats. The first loses information about frequency horizons and the latter omits the co-movement dependence in time. The wavelet analysis overcomes such limitations due to its operation in both time and frequency domains (Torrence and Compo, 1998). Over the past two decades, wavelet applications have been supported by its another advantage, which is the localization of the wavelet basis function in time and its bounded support; hence, the analysis is free from the assumption of covariance-stationarity, from which many filtering methods suffer (Raihan et al., 2005). The literature presents many studies that successfully used wavelets that do not necessitate stationary time series, e.g., Aguiar-Conraria et al. (2008) analyzing the evolution of monetary policy in the US,

<sup>&</sup>lt;sup>3</sup>This group consists of Austria, Belgium, Finland, France, Germany, Greece, Ireland, Italy, Luxembourg, Netherlands, Portugal, and Spain. We analyze this group and the Visegrad countries.

<sup>&</sup>lt;sup>4</sup>Regarding the EU synchronization, the literature is extensive and many methods have been employed, see Camacho et al. (2008); Eickmeier and Breitung (2006); Lee (2012), for example.

 $<sup>^{5}</sup>$ Lamo et al. (2013) offer a short presentation of a filtering methodology applied to the business cycles in the Euro area.

Vacha and Barunik (2012) studying energy markets relationships, and Yogo (2008) using wavelet analysis to determine peaks and troughs of business cycles that correspond to the definition of the National Bureau of Economic Research.

To capture the co-movement of two or more time series, we use several wavelet measures that overcome the above mentioned caveats and obtain the desired information about time series relationships. For the bivariate analysis, we employ the wavelet coherence described in Torrence and Compo (1998) and Grinsted et al. (2004). Further, while studying the multiple relationships of several time series, we begin with the bivariate measure proposed by Rua (2010). As Croux et al. (2001) transform the dynamic correlation to the multivariate measure of cohesion, Rua and Silva Lopes (2012) extend the wavelet quantity of Rua (2010) to the multivariate case of weighted cohesion. The multivariate case relies on the bivariate measure multiplied by fixed weights that represent a share of the value of each pair among all time series. However, to reflect the dynamics and development of economies, we believe that weights may change over time and should not be rigid. Taking that into account, we propose redefining the weights in the cohesion measure to have a time-varying structure. For example, emerging or developing countries demonstrate higher growth and may get closer to developed countries; hence, the ratio of each pair changes over time as countries evolve.

Using state of the art wavelet methods, we find different levels of co-movement between Visegrad countries and the EU during the 1990-2014 period. The Visegrad countries show strong co-movement with respect to long-term business cycles. The pairwise synchronization of Visegrad countries with Germany appears to be significant for long-term business cycles from 2000 onward. The measure of multivariate co-movement confirms that the Visegrad countries are well-synchronized for business cycles periods of 2-4 years. Similarly, we observe higher cohesion for the 16 European countries for those periods, which becomes stronger after 2000. All countries together show no considerable relationship for periods up to 1 year, which may reflect some short-term policy heterogeneity.

The contribution of this paper is twofold: we propose the novel measure of cohesion with time-varying weights and we have conducted an empirical analysis regarding the Visegrad Four. The remainder of this paper is structured as follows. Section 2 describes wavelet methodology and introduces the cohesion measure with time-varying weights. Section 3 provides the data description. In section 4, we analyze the results. Finally, Section 5 concludes the paper.

#### 2. Methodology

#### 2.1. Wavelet analysis

Our analysis aims to address the behavior of the dynamics of a time series at different time horizons. An economic time series might be locally stationary or non-stationary. The Fourier analysis is convenient for observing relations at different frequencies, but it requires time series to be stationary and comes at the cost of losing some information of the time series when differencing, for instance. In other words, using the Fourier transform (FT) makes the analysis time-invariant and not suitable to provide information about the dynamics of a process. For this reason, Gabor (1946) developed the short-time Fourier transform

(or windowed FT), which is based on applying the Fourier transform on a shorter part of the process. Nonetheless, this approach has shortcomings that arise with fixed time and frequency resolution, and it is impossible to change the resolution at different frequencies. A series of lower or higher frequencies needs lower or higher time resolution, respectively (Gallegati, 2008). As the window width is constant, the resolution is limited, especially for low frequencies.

The wavelet transform has been developed to find a better balance between time and frequency resolutions. The wavelet functions used for the decomposition are narrow or wide when we analyze high or low frequencies, respectively (Daubechies, 1992). Thus, a wavelet analysis is suitable to research different types of processes using optimal time-frequency resolution in great detail (Cazelles et al., 2008).<sup>6</sup> The wavelet analysis is also able to work properly with locally stationary time series.

The wavelet transform decomposes a time series using functions called mother wavelets  $\psi(t)$  that are functions of translation (time) and dilation (scale) parameters,  $\tau$  and s, respectively. In many applications, it is sufficient that the mother wavelet has zero mean,  $\int_{-\infty}^{\infty} \psi(t) dt = 0$ , and that the function has a sufficient decay. These two properties cause the function to behave like a wave. Further, the elementary functions called daughter wavelets resulting from a mother wavelet  $\psi(\tau)$  are defined as

$$\psi_{\tau,s}(t) = \frac{1}{\sqrt{|s|}} \psi\left(\frac{t-\tau}{s}\right), \quad s, \ \tau \in \mathbf{R}, s \neq 0.$$
 (1)

The continuous wavelet transform (CWT) of a process, x(t), with respect to the wavelet  $\psi$ , 7 is defined as a convolution of the given process and the family  $\psi_{\tau,s}$ ,

$$W_x(\tau, s) = \int_{-\infty}^{\infty} x(t) \frac{1}{\sqrt{|s|}} \psi^* \left(\frac{t - \tau}{s}\right) dt, \tag{2}$$

where \* denotes the complex conjugate. As several wavelet functions are available for CWT, in our analysis we use the Morlet wavelet as the mother wavelet. Use of this wavelet is common in the literature due to its well-localized properties in time and frequency (Aguiar-Conraria and Soares, 2011b; Cazelles et al., 2008). The Morlet wavelet is complex, with a real and an imaginary part, which allows us to perform the phase difference analysis. The simple definition of the Morlet wavelet is

$$\psi(t) = \pi^{-\frac{1}{4}} e^{-i\omega_0 t} e^{\frac{-t^2}{4}}.$$
 (3)

<sup>&</sup>lt;sup>6</sup>It is possible to use methods of evolutionary spectra of non-stationary time series developed by Priestley (1965). However, to run a spectrum over time at different frequencies, larger data are required in order to obtain the same quality time resolution as that obtained using wavelet techniques. And while we study short-term fluctuations (such as 2-4 months), we would not obtain such localized information because of the number of necessary observations to start with.

<sup>&</sup>lt;sup>7</sup>For more details regarding the conditions that a mother wavelet must fulfill, see, e.g., Mallat (1999) or Daubechies (1992).

As a complex function with a Gaussian envelope, the Morlet wavelet's parameter  $\omega_0$  (wavenumber) is set equal to 6. With this parameter, we find that a relation between wavelet scales and frequencies is inverse,  $f \approx \frac{1}{s}$ . This simplifies further interpretation of the results (Grinsted et al., 2004; Torrence and Compo, 1998).

A convenient property of the wavelet transform is that one can reconstruct the original time series back from the wavelet transform,

$$x(t) = \frac{1}{C_{\psi}} \int_{-\infty}^{\infty} \left[ \int_{-\infty}^{\infty} \psi_{\tau,s}(t) W_x(\tau, s) d\tau \right] \frac{ds}{s^2}, \tag{4}$$

where  $C_{\psi}$  comes from the admissibility condition that allows the reconstruction,  $C_{\psi} = \int_0^{\infty} \frac{|\Psi(f)|^2}{f} \mathrm{d}f < \infty$ , where  $\Psi(\cdot)$  is the Fourier transform of  $\psi(\cdot)$ .

Defining the single wavelet power spectrum,  $|W_x(\tau, s)|^2$ , given the wavelet transform, we obtain the measure of the energy of the time series. For given two time series,  $x_i(t)$  and  $x_j(t)$ , the cross-wavelet transform is defined as the product of their transforms  $W_{x_ix_j}(\tau, s) = W_{x_i}(\tau, s)W_{x_j}(\tau, s)^*$ , where \* denotes the complex conjugate.

In our application, we use the wavelet coherence to quantify the pairwise relationship of two time series. This coherence in the Fourier analysis is defined as a measure of the correlation between the spectra of two time series (Cazelles et al., 2008). The coherence derives from the definition of the coherency as its power of two. With two time series,  $x_i$  and  $x_j$ , the wavelet coherency that measures their relationship is defined as (Liu, 1994):

$$\Gamma(\tau, s) = \frac{W_{x_i x_j}(\tau, s)}{\sqrt{W_{x_i}(\tau, s)W_{x_j}(\tau, s)}}.$$
(5)

Given that the coherency is as complex a measure as the wavelet powers are, we preferably use the squared wavelet coherence to measure co-movement between two time series, which is given by:

$$R^{2}(\tau,s) = \frac{|S(s^{-1}W_{x_{i}x_{j}}(\tau,s))|^{2}}{S(s^{-1}|W_{x_{i}}(\tau,s)|^{2}) \cdot S(s^{-1}|W_{x_{j}}(\tau,s)|^{2})}, \quad R^{2} \in [0,1],$$
(6)

where S is a smoothing function as  $S(W) = S_{scale}(S_{time}(W_n(s)))$  (Grinsted et al., 2004). We smooth the coherence through convolution in both time and frequency domains.

Since the wavelet coherence does not have a theoretical distribution, the testing procedure uses Monte Carlo methods to obtain its significance. We follow Torrence and Compo (1998) to assess the statistical significance, which is depicted in figures as a black contour and the level of significance is 5%.

As we work with a finite-length time series and a Fourier transform assumes cyclical data, we would obtain a wavelet power spectrum containing errors at the beginning and end of the analyzed periods. One solution to these edge effects is to pad both ends of the time

<sup>&</sup>lt;sup>8</sup>We use the package developed by Grinsted et al. (2004) to compute the coherence. For further details, please consult Grinsted et al. (2004).

series with a sufficient number of zeros. The area affected by zero-padding is called the cone of influence (COI). We indicate the COI in figures as a shaded area having e-folding shape. For more details, consult Cazelles et al. (2008); Torrence and Compo (1998).

Moreover, from the cross wavelet transform of two time series, the phase difference provides information regarding the relative position of the two series. The phase difference defined in  $[-\pi, \pi]$  has the form:

$$\phi_{x_i, x_j} = \tan^{-1} \left( \frac{\Im\{W_{x_i x_j}(\tau, s)\}}{\Re\{W_{x_i x_j}(\tau, s)\}} \right), \tag{7}$$

where  $\Im\{W_{x_ix_j}(\tau,s)\}$  and  $\Re\{W_{x_ix_j}(\tau,s)\}$  are the imaginary and real parts of a cross wavelet transform, respectively. The two time series are positively correlated if  $\phi_{x_i,x_j} \in [-\pi/2,\pi/2]$ , otherwise the correlation is negative. Moreover, the first variable,  $x_i$ , leads the second,  $x_j$ , if the phase is in  $[0,\pi/2]$  and  $[-\pi,-\pi/2]$ ; when in  $[-\pi/2,0]$  and  $[\pi/2,\pi]$ , the second variable is leading.

The assessment of statistical significance is always critical. According to Cazelles et al. (2008), bootstrap methods are used to provide the significance of the power spectrum and the cross-spectrum. Those methods are also used for wavelet coherence. However, testing the significance of the phase difference is difficult because there is no "preferred" value because the phase may be distributed on the interval of  $[-\pi, \pi]$ . Aguiar-Conraria and Soares (2014) indicate that there are no good statistical tests for the phase difference. They conclude with the support of Ge (2008) that the significance of a phase should be connected with the significance of the power spectrum or coherence. To obtain the confidence intervals, we use classical bootstrap techniques.<sup>10</sup> We show the coherence and phase difference of two artificial time series:

$$x_t = \sin(t) + \varepsilon, \quad t \in [1, 1000] \tag{8}$$

$$y_{t} = \begin{cases} \frac{1}{100} \sin(t) + \varepsilon, & t \in [1, 100] \\ \sin(t) + \varepsilon, & t \in [101, 350] \\ \frac{1}{1000} \sin(t - 0.01) + \varepsilon, & t \in [351, 605] \\ \sin(t + \frac{\pi}{2}) + \varepsilon, & t \in [606, 900] \\ \frac{1}{100} \sin(t) + \varepsilon, & t \in [901, 1000] \end{cases}$$
(9)

We observe that when the coherence is high and significant, the confidence interval of the phase difference is narrow, see Figure 1. By contrast, for observations 351-600, we have the sine function with high amplitude and a very noisy time series, which does not resemble the sine in this scale. The phase difference of these two is unstable and the confidence interval at some point covers the interval  $[-\pi/2, \pi/2]$ . This does not provide relevant information about the phase of the two time series.

<sup>&</sup>lt;sup>9</sup>We use the Morlet wavelet, and the COI is thus  $e^{-2}$ -folding.

 $<sup>^{10}</sup>$ We add 5% noise to each series, run 1,000 Monte Carlo simulations, and determine the 95% confidence interval.

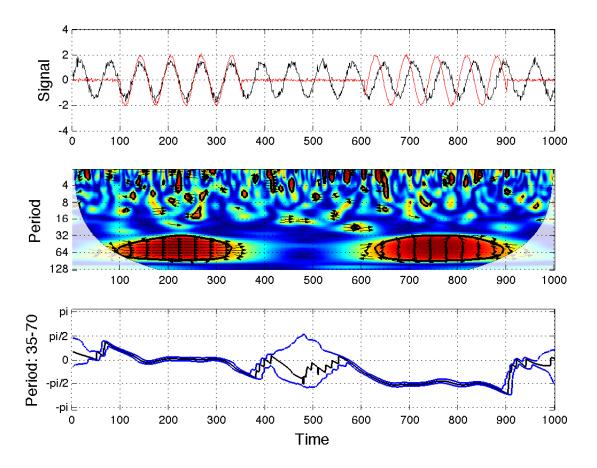


Figure 1: Artificial time series (top), their wavelet coherence (middle), and the phase difference of the time series (bottom), with 95% confidence interval. The shaded area is the cone of influence.

#### 2.2. Cohesion measure

Many co-movement measures from the time or frequency domain rely on the bivariate correlation. Croux et al. (2001) propose a powerful tool for studying the relationship of multiple time series. This measure uses the dynamic pair-wise correlation and composes the new measure of cohesion over the frequencies. Let  $x_t = (x_{1t} \cdots x_{nt})$  be a multiple time series for  $n \geq 2$ , then the cohesion measure in the frequency domain is

$$coh_x(\lambda) = \frac{\sum_{i \neq j} w_i w_j \rho_{x_i x_j}(\lambda)}{\sum_{i \neq j} w_i w_j},$$
(10)

where  $\lambda$  is the frequency,  $-\pi \leq \lambda \leq \pi$ ,  $w_i$  is the weight associated with time series  $x_{it}$ , and  $coh(\lambda) \in [1,1]$ . Since the dynamic correlation provides the information over frequencies and disregards the time information, Rua (2010) proposes a wavelet-based measure of co-movement of two time series that is in fact similar to the coherency and the dynamic correlation but in the time-frequency domain. Using this measure, Rua and Silva Lopes

(2012) developed a wavelet-based measure of cohesion in the time-frequency. Firstly, the time-frequency measure of the degree of synchronization,  $\rho_{x_i x_j}(\tau, s)$ , is

$$\rho_{x_i x_j}(\tau, s) = \frac{\Re(W_{x_i x_j}(\tau, s))}{\sqrt{|W_{x_i}(\tau, s)|^2 |W_{x_j}(\tau, s)|^2}},\tag{11}$$

where  $\Re(W_{x_ix_j}(\tau,s))$  is the real part of the cross-wavelet spectrum of two time series and has the squared root of two power spectra of the given time series in the denominator.

Second, in the same manner as Croux et al. (2001) in the frequency domain, Rua and Silva Lopes (2012) take the advantage of this wavelet-based quantity and define the multivariate weighted measure of cohesion in the time-frequency space. The cohesion is a weighted average, where the weights,  $\bar{\omega}_{ij}$ , are attached to the pair of series, (i, j), e.g., for two series we have two weights inversely related. The cohesion exists on the interval of [-1, 1] and we have

$$coh(\tau, s) = \frac{\sum_{i \neq j} \bar{\omega}_{ij} \rho_{x_i x_j}(\tau, s)}{\sum_{i \neq j} \bar{\omega}_{ij}}.$$
 (12)

Measuring co-movement of multiple time series, the cohesion uncovers important information about common dynamics. However, the fixed weights, e.g., population at some time  $\tau$ , do not consider that data used for weights may also vary over time. Because the developing or emerging countries may have different speed of development, then the importance of allowing the time-variation of weights appears relevant.

We redefine the cohesion of Rua and Silva Lopes (2012) to our new proposed measure with time-varying weights as:

$$coh(\tau, s) = \frac{\sum_{i \neq j} \omega_{ij}(\tau) \rho_{x_i x_j}(\tau, s)}{\sum_{i \neq j} \omega_{ij}(\tau)},$$
(13)

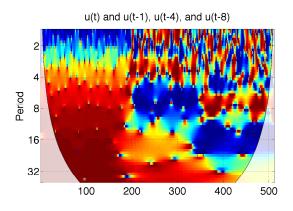
where  $\omega_{ij}(\tau)$  is the weight attached to the pair of time series (i,j) at given time  $\tau$ . Cohesion allows for the use of different types of weights. For example, using weights as unemployment levels, a country with higher or lower unemployment is less or more productive than other countries, which has a greater effect on its production, and in the cohesion, this may lead to a greater dissimilarity of co-movement within the group.

#### 2.2.1. Real wavelet-based measure examples

We demonstrate how the real wavelet-based measure captures the dynamics in time-frequency of two artificial time series in two particular cases. We show the cohesion with constant weights of white noise,  $u_t \sim N(0,1)$  and its lagged values  $u_{t-1}$ ,  $u_{t-4}$ , and  $u_{t-8}$ . For the first 200 observations in Figure 2, we see the negative correlation equal to minus one in the shortest period, which changes to a positive correlation equal to one in the long term. If we averaged this part of Figure 2 over time, we would obtain the same dynamic correlation result as Croux et al. (2001).<sup>11</sup> In the second part of Figure 2, the series have more lags,

The correlation follows a curve from 1 at zero frequency to -1 at frequency equals  $\pi$ .

 $u_{t-4}$  and  $u_{t-8}$ , whose relationship is negative with the original  $u_t$  at longer horizons, which demonstrates the possibility of the well-localized information in the time-frequency plane. In Figure 3, we plot the dynamic correlation of the white noise  $u_t$  with its cumulative sum. Contrary to Figure 2 for lagged noises, these two series are positively correlated in the short-term and not-correlated at in the long-term.



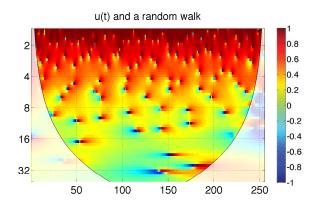


Figure 2: Real wavelet-based measure of two series:  $u_t$  and  $u_{t-1}$ ,  $u_{t-4}$ , and  $u_{t-8}$ .

Figure 3: Real wavelet-based measure of two series:  $u_t$  and  $u_t = u_{t-1} + \varepsilon_t$ .

#### 3. Data

To study business cycle synchronization, we use data of the Index of Industrial Production (IIP) from the database of the Main macroeconomic indicators (OECD, 2015).<sup>12</sup> Fidrmuc and Korhonen (2006) cite many studies where the IIP is broadly used in studying business cycle synchronization. The dataset period spans from January 1990 to December 2014 with seasonally adjusted time series. The dataset includes monthly data of 16 EU countries, of which 13 are EMU members (Austria, Belgium, Germany, Greece, Finland, France, Ireland, Italy, Luxembourg, Netherlands, Portugal, Slovakia, Spain) and 3 countries are not (Czech Republic, Hungary, Poland). To cover a longer period, we use the IIP data to represent the economic activity on a monthly basis. In the multivariate analysis, we divide the countries into three groups: EU core, Visegrad Four (V4), and PIIGS. Five countries form the PIIGS group: four from Southern Europe (Portugal, Italy, Greece, and Spain) and Ireland. As the EU core, we take Belgium, Germany, Finland, France, Luxembourg, and Netherlands. For these countries, we also use the data of the Total Harmonized Unemployment: All persons. The time series are at level (number of persons) including all unemployed persons of all ages of a particular country. We use the unemployment level to weight the industrial production in the multivariate analysis. The maximum span of this data is from January 1993 to December 2014.

<sup>&</sup>lt;sup>12</sup>Obtained via Federal Reserve Economic Data, https://research.stlouisfed.org/fred2/

#### 4. Results

#### 4.1. Bivariate synchronization of the Visegrad countries and the EU

At first, we compare the business cycles of the V4 on an intra-group basis – between one another – to disclose similarities in their pairwise co-movements and the development of particular relationships within the group. The V4's cooperation began in the early 90s, and the countries share higher coherence at the beginning of the transition for 1-2 year period during 3-4 years, see Figure 4. Another common feature among the V4 countries is a weak relationship of all pairs at short-term periods, from 2 months to 1 year during whole 25 years. Only Hungary and Poland co-move significantly around 2010 for periods shorter than one year. The important result is that all pairs show a high degree of synchronization over the 2-4 year period beginning around 1998 for Hungary with Slovakia, 1999 for the Czech Republic with both Poland and Hungary, and 2000 for Poland with Slovakia. In addition, the Czech Republic and Slovakia have been synchronized over a 2-year period through the whole sample period with a small decrease around 2000. For Hungary and Poland, we observe a high degree of synchronization at all business cycle frequencies, 2-5 years. Their co-movement covers the largest part of the spectrum at the beginning of the transition period and during the last 5 years.

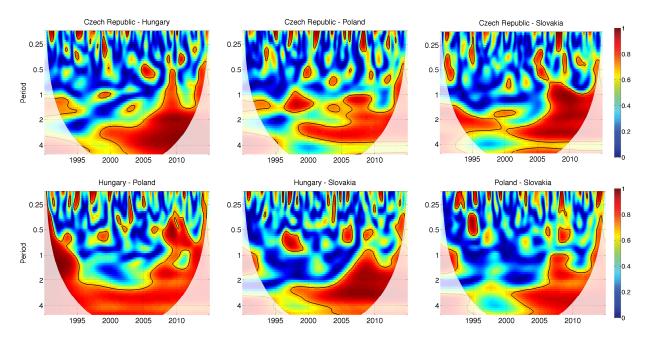


Figure 4: Wavelet Coherence within the Visegrad Four. The significance level of 5% against the red noise is contoured by the solid black line. The shaded area is the cone of influence.

The fact that at the beginning of transition countries shared high common volatility of business cycles across CEE countries (Jagrič, 2002) is not reflected in our results of comovement. We find a short time of higher pair synchronization for the first 3-5 years in 1-2 year periods. However, we see that all countries have almost zero co-movement around

1995, except for Hungary and Poland. This low degree of similarity may be caused by Slovakia's cold-shouldered participation in the political discussions during 1993-1997 that translated into the business cycles with a delay (Lukášek, 2010). We may find another explanation relevant for all countries that after a few years of formally intensive cooperation the monetary and fiscal policies started diverging. For example, during the late 1990s, the Czech Republic went through difficult stabilization years (Antal et al., 2008). These diverging economic situations might cause some asynchrony in business cycle behavior over both the short and long terms. This long-term low synchronization may also come from the low level of convergence of macroeconomic and other variables (Kutan and Yigit, 2004).

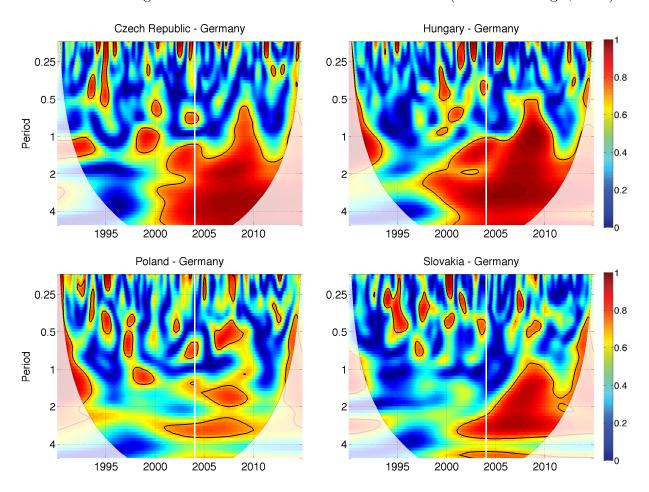


Figure 5: Wavelet Coherences of the Visegrad Four and Germany. The vertical solid white line indicates 2004 – the year of the enlargement of the EU. The significance level of 5% against the red noise is contoured by the solid black line. The shaded area is the cone of influence.

Further, we are interested in the co-movement of each country of the V4 within the framework of the European Union. In the pairwise analysis, we take Germany as a representative of the EU. Germany is often used as a reference country (Fidrmuc and Korhonen, 2006) for the EU, a great portion of exports of V4 goes through Germany, and it is near the Visegrad region, which also plays a role. We plot the relationships between the V4 and

#### Germany in Figure 5.

We observe the strongest co-movement of Germany with two countries: the Czech Republic and Hungary. The large area of high coherence for both begins around 2000, for a 1-5 year period. Hungary-Germany high coherence starts slightly before 2000 for a 2-year period but from 2000 it continues for a 1-5 year period onward. These findings are in line with the results of Aguiar-Conraria and Soares (2011a). The synchronization of Slovakia with Germany shows an interesting pattern. The coherence increases gradually from 2000 and spreads from 2-4 years to 1-4 years period around 2008, which is important because that is precisely when Slovakia adopted the Euro, on January 1, 2009. Slovakia may be also considered as an example where the degree of synchronization increases after accession to the EU and EMU, which is consistent with the theory of endogeneity of optimum currency areas. This high coherence may be a reaction to the global financial crisis; however, it may support higher synchronization with the EU as the shock would spill over the Euro area to countries, such as those of V4. For all the V4, we see an increase of coherence after beginning their preparations for EU accession, which was shortly before 2000. The high degree of synchronization of Hungary supports the previous results of Fidrmuc and Korhonen (2006), for example. However, this same support is not true for Poland because we observe the weakest relationship between Poland and Germany, although we may find a few isolated islands of higher coherence, which are unimportant in comparison with other countries.

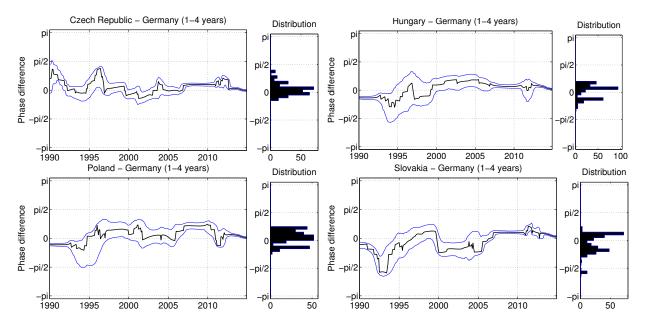


Figure 6: Phase differences. The black solid line is the true phase difference of two time series. The blue solid line is the 95% bootstrapped confidence interval. For each phase difference, its distribution is provided.

Additionally, we provide the analysis of phase differences between each V4 country and Germany. The phase difference for the 1-4 year period fluctuates around zero most of the time, which corresponds to changing the lead position between two countries that have a positive relationship – in phase. We present confidence intervals of these phase differences.

In the most cases, as the phases fluctuate the confidence intervals overlap zero; thus, we cannot determine for certain which country is in the lead position. Further, the first and last five years of data are affected by edge effects of zero-padding; thus, we do not have complete information here. Following Aguiar-Conraria and Soares (2014), we rely on the significance of coherence to know whether the phase difference is also significant. We find that the coherence is high and mostly significant for all countries between 2000 and 2010. Figure 6 shows this result where the phase difference in 2006-2010 period does not overlap zero and is in the  $[0,\pi]$  interval, which also shows that the V4 business cycles lead the cycles of Germany over the long-term period during the 2006-2010 period. One possible explanation for this finding is the recession and the faster decline in productions of the V4 compared with Germany. For example, in case of Slovakia, we have the significant leading position of Germany during 2000-2004. Showing the bootstrapped confidence intervals, we demonstrate that this technique is relevant for conclusion about phase differences between time series. Even if the phase difference clearly belongs to some interval, we need some level of confidence to make a conclusion.

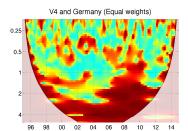
#### 4.2. Multivariate co-movement

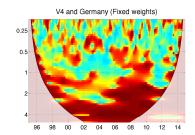
Until now, we have used the bivariate analysis, and we have omitted the assessment of synchronization of more than two time series. In this part, we investigate the multivariate relationship of countries in the EU. The proposed measure of cohesion with time-varying weights allows us to assess the co-movement within the groups of countries. This measure captures the information in the time-frequency plane; we provide the results in the form of a heat-map as in the previous section. In contrast to the coherence, the cohesion may be negative, which means it can capture a counter-cyclical co-movement among the time series. As the weights, we use the time series of Total Harmonized Unemployment (number of persons), which is available at monthly basis. The choice of unemployment levels as weights is particular for our case and was made because we want to distinguish the size of countries' economies.<sup>13</sup>

#### 4.2.1. Example of different weights in the multivariate case

In this example, we show the concept of time-varying weights for the multivariate measure of co-movement. We use the V4 and Germany to demonstrate that the nature of weighting in such measure matters. As the measure puts a weight to each pair in the multivariate analysis, the pair of Germany and Poland possibly represents the biggest share, as the unemployment is in levels and these countries are most populated. We show three cases of weighting: equal weights for each pair, fixed weight corresponding to one moment of the time span (Eq. 12), and then time-varying weights (Eq. 13). The dynamic multivariate relationship of the V4 and Germany looks very similar for all three types of weights, see Figure 7.

<sup>&</sup>lt;sup>13</sup>In the multivariate analysis, we analyze only parts of the 1990-2014 time span due to the lack of unemployment data for some countries.





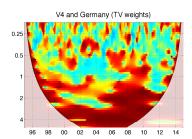
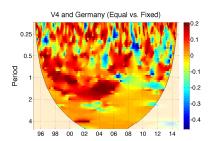
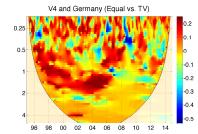


Figure 7: Wavelet Cohesion of the Visegrad Four and Germany using different type of weights: equal (left), fixed (centre), and time-varying (right). We use Total Harmonized Unemployment as weights.

To distinguish whether these three results are the same or not, we depict their differences. Using the differences, we show that employing equal, fixed, and time-varying weights yields very different results.





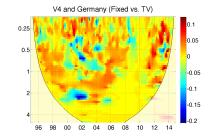


Figure 8: Differences between cohesions from Figure 7: equal vs. fixed (left), equal vs. time-varying (centre), and fixed vs. time-varying (right).

Moreover, we demonstrate that it is favorable to consider dynamic weights changing over time. In our particular case, the absolute maximum in the difference between fixed and time-varying weights results is approximately 0.2, which comprises 10% of the scale [-1,1], see Figure 8 (right). In addition, as the time varying weights correspond to precise moment of time, the information should be better localized than that obtained using fixed weights. For instance, the unemployment level emphasizes the actual situation of an economy, and time accurate weights may thus have shown information in greater accordance with reality.

#### 4.2.2. Cohesion of the Visegrad Four and the EU

We compute the multivariate relationship quantities for three groups of countries: the V4, the EU core, and the PIIGS countries. We analyze those groups individually as well as in combination.<sup>14</sup> We concentrate on the V4 itself and within the framework of the EU. Examining the synchronization of the PIIGS countries with the EU core, we directly compare already integrated countries with those in the process of integration.

With regard to the V4, in Figure 9, we show that the degree of synchronization within this region is high in the long-term period. The strong co-movement of 2-4 year periods

<sup>&</sup>lt;sup>14</sup>The combination does not mean an analysis of co-movement of 2 groups but this provides the information about the co-movement of all countries of both groups with respect to their weights.

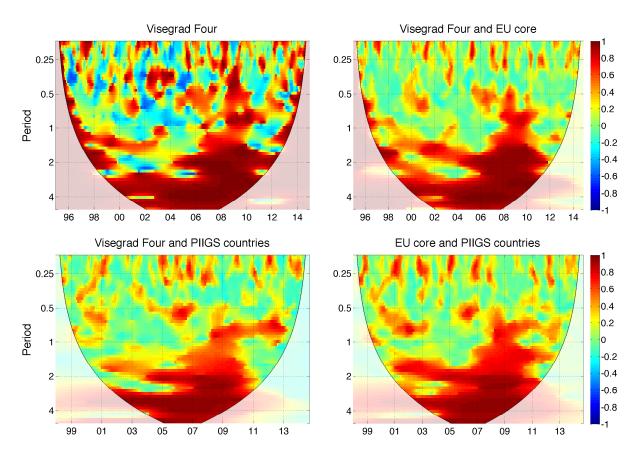


Figure 9: Wavelet Cohesion of the Visegrad Four and parts of the EU. We use Total Harmonized Unemployment: All Persons as weights for this analysis. The shaded area is the cone of influence.

lasts from 1997 to 2014; beginning in 2008, it spreads over a 0.5-5 year period. The short-term synchronization, up to 1 year, provides some insights that countries often co-move at that frequency but only for short periods of time. This short-term fluctuation co-movement appears as well as for groups of EU core and PIIGS countries in Figure 10, which may reflect common reactions to events in the markets.

Comparing the multiple relationships of V4 and EU core, EU core and PIIGS, and V4 and PIIGS countries in Figure 9, we observe similar patterns of co-movement over the long-term. This result of is in line with Rua and Silva Lopes (2012), who find a large cohesion of the long-term dynamics. Regarding the Visegrad countries within the EU, in the period after 2000, the strongest relationship is among the V4 countries and the EU core compared to other groups.

Further, we investigate the relationship of all 16 selected countries and the sub-samples of the EU core and the PIIGS countries. Surprisingly, the analysis reveals low cohesion in the short-term, 0.5-1 year, although it is quite high in the long-term. Regarding the EU core, there is more similarity in short-term dynamics. Further for all groups, we note that the cohesion is high for long-term business cycles. In the second half of the sample, the relationship has increased for the shorter periods. With respect to the case of PIIGS

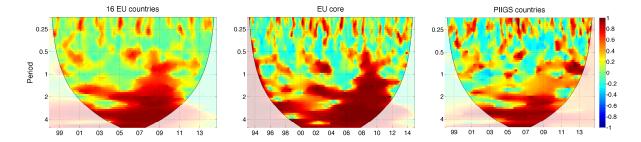


Figure 10: Wavelet Cohesion of 16 European countries (left), EU core (centre), and PIIGS countries (right). We use Total Harmonized Unemployment: All Persons as weights for this analysis. The shaded area is the cone of influence.

counties, their cohesion appears to be along the same lines, but these countries do not exhibit any co-movement over the 1-2 year period. Notably, we have seen that the cohesion of the V4 with the EU core is stronger than that of the 16 European countries. For example, in case of Slovakia, there was a gradual increase of co-movement with Germany after accession and after the Euro adoption. In terms of synchronization, the V4 could benefit from joining the EMU, but we do not know the specific sources of the higher co-movement.

#### 5. Concluding remarks

Business cycle synchronization is a central question of economic integration and has thus been rigorously examined recently. We have overcome the problems of traditional measures, such as operation in time or frequency domain only and of the necessity of stationary time series, by using wavelet methodology. In this paper, we have proposed the multivariate measure of co-movement with time-varying weights called wavelet cohesion. This wavelet-based measure allows for precise localization of information in time and frequency.

We have investigated the impact of V4 cooperation, which began with the aim of helping one another to converge faster to the EU. We have found short but high co-movement for the first years of their cooperation until the economic turbulences of the late 90s. During the 1995-1999 period, their business cycles for 2-5 year periods show very low levels of synchronization.

Further, we have studied the business cycle synchronization of the V4 with Germany. The results confirmed some already known but interesting patterns. Slovakia's synchronization with the EU was poor before its accession to the EU but gets stronger after 2005, which supports the theory of the endogeneity of the OCA. We have revealed that the highest coherence is between Germany and both the Czech Republic and Hungary beginning in 2000. By contrast, the degree of synchronization of the business cycles of Poland and Germany is the lowest among V4.

Employing a multivariate measure, we have uncovered relationships in both time and frequency domains for multiple time series. Regarding the V4, the EU core countries, and/or the PIIGS countries, we show that there is very weak synchronization of short-term dynamics among those countries, which means in periods of less than 1 year. Conversely, we have

found that cohesion within the EU is high after 2000 in 2-5 year periods. Furthermore, we have found high co-movement of the long-term business cycles of the V4 and of the EU core countries over the whole sample. This supports that countries tend to have similar approaches to their long-term dynamics or policies.

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